

Exercise 7	Harmonic oscillator – the spring		<i>Theory:</i>
Team:	Name:		<i>Experiment:</i>
Date:	Weeks day and hour:	Major, group:	<i>Remarks</i>

1. Determination of the elasticity modulus using the static method.



Hooke's law:



Equation of the one parameter linear regression including its uncertainty:

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No.	Mass m []	Force F []	Elongation x []

Slope of $F(x) = \dots \pm \dots [\quad]$

Elasticity modulus $k = \dots \pm \dots [\quad]$

2. Determination of the elasticity modulus using the dynamic method.



Equation of the two parameter linear regression including its uncertainty:

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Dependence of the oscillation period on mass and elasticity modulus:

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No.	Mass m []	20 · period T []	Period square T^2 []

Slope of $T^2(M) = \dots \pm \dots$ []

Elasticity modulus $k = \dots \pm \dots$ []

3. Determination of the spring rigidity modulus



Equation of the spring rigidity modulus G dependence on spring's number of turns n , spring radius R and wire radius r :

$G = \dots$



Equation of the rigidity modulus uncertainty from the propagation of uncertainty principal:

$\Delta G = \dots$

Measured values:

$n = \dots$

$2r = \dots \pm \dots$ [] $r = \dots \pm \dots$ []

$2R = \dots \pm \dots$ [] $R = \dots \pm \dots$ []

$k = \dots \pm \dots$ []

$G = \dots \pm \dots$ []

4. Conclusions